1. Information regarding the programme

| 1.1 Higher education institution | Babes-Bolyai University |
| :--- | :--- |
| 1.2 Faculty | Faculty of Mathematics and Computer Science |
| 1.3 Department | Departament of Mathematics |
| 1.4 Field of study | Mathematics |
| 1.5 Study cycle | Bachelor |
| 1.6 Study programme / <br> Qualification | Mathematics-Computer Science |

## 2. Information regarding the discipline

| 2.1 Name of the discipline |  |  | Algebra 1 (Linear Algebra) |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 2.2 Course c | ina |  | Assistant Professor PhD. Cosmin Pelea |  |  |  |  |
| 2.3 Seminar coordinator |  |  | Assistant Professor PhD. Cosmin Pelea |  |  |  |  |
| 2.4. Year of study | 1 | 2.5 S | 1 | 2.6. Type of evaluation | E | 2.7 Type of discipline | Compulsory |

3. Total estimated time (hours/semester of didactic activities)

| 3.1 Hours per week |  | 4 | Of which: 3.2 course | 2 | 3.3 seminar/laborator | 2 |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 3.4 Total hours in the curriculum |  | 56 | Of which: 3.5 course | 28 | $\begin{aligned} & \hline 3.6 \\ & \text { seminar/laboratory } \end{aligned}$ | 28 |
| Time allotment: |  |  |  |  |  | hours |
| Learning using manual, course support, bibliography, course notes |  |  |  |  |  | 28 |
| Additional documentation (in libraries, on electronic platforms, field documentation) |  |  |  |  |  | 20 |
| Preparation for seminars/labs, homework, papers, portfolios and essays |  |  |  |  |  | 28 |
| Tutorship |  |  |  |  |  | 14 |
| Evaluations |  |  |  |  |  | 4 |
| Other activities: ................. |  |  |  |  |  | - |
| 3.7 Total individual study hours |  |  | 94 |  |  |  |
| 3.8 Total hours per semester | 150 |  |  |  |  |  |
| 3.9 Number of ECTS credits | 6 |  |  |  |  |  |

4. Prerequisites (if necessary)

| 4.1. curriculum |  |
| :--- | :--- |
| 4.2 . competencies |  |

## 5. Conditions (if necessary)

| 5.1. for the course |  |
| :--- | :--- |
| 5.2. for the seminar /lab <br> activities |  |

6. Specific competencies acquired

| Cler | C1.1 Idetifying the notions, describing the theories and using the specific language |
| :--- | :--- |

7. Objectives of the discipline (outcome of the acquired competencies)

| 7.1 General objective of the <br> discipline | To introduce the basic notions of linear algebra. |
| :--- | :--- |
| 7.2 Specific objective of the <br> discipline | $\square$To introduce some basic results on vector spaces, matrices, systems <br> of linear equations, eigenvalues, eigenvectors and quadratic forms. |

## 8. Content

| 8.1 Course | Teaching methods | Remarks |
| :--- | :--- | :--- |
| 1. Groups. Rings. Fields. | $\square$ Interactive exposure <br> $\square$ Explanation <br> $\square$ Conversation <br> $\square$ Didactical demonstration |  |
| 2. Polynomial rings. Matrix rings | $\square$ Interactive exposure <br> $\square$ Explanation <br> $\square$ Conversation <br> $\square$ Didactical demonstration |  |
| 3. Determinants. The inverse of a matrix | $\square$ Interactive exposure <br> $\square$ Explanation <br> $\square$ Conversation <br> $\square$ Didactical demonstration |  |

$\left.\begin{array}{|l|l|l|}\hline \text { 4. The rank of a matrix. Systems of linear equations } & \square \text { Interactive exposure } & \\ & \square \text { Explanation } \\ \square \text { Conversation } \\ \square \text { Didactical demonstration }\end{array}\right]$
$\left.\begin{array}{|l|l|l|}\hline \begin{array}{l}\text { 4. W. K. NICHOLSON, Linear Algebra and Applications, } \\ \text { https://lila1.lyryx.com/textbooks/OPEN_LAWA_1/marketing/Nicholson-OpenLAWA-2021A.pdf } \\ \text { 5. I. PURDEA, I. POP, Algebra, Editura GIL, Zalau, 2003. }\end{array} \\ \hline \text { 8.2 Seminar / laboratory } & \text { Teaching methods } & \text { Remarks } \\ \hline \text { 1. Groups. Rings. Fields. Review. } & \square \text { Interactive exposure } & \\ & \square \text { Explanation } \\ & \square \text { Conversation } \\ \square \text { Didactical demonstration }\end{array}\right]$

| 12. Matrices and linear maps | Interactive exposure Explanation Conversation Didactical demonstration |  |
| :---: | :---: | :---: |
| 13. Eigenvectors and eigenvalues. Diagonalisable matrices. Hamilton-Cayley Theorem | $\square$ Interactive exposure $\square$ Explanation $\square$ Conversation $\square$ Didactical demonstration |  |
| 14. Bilinear and quadratic forms. | $\square$ Interactive exposure $\square$ Explanation $\square$ Conversation $\square$ Didactical demonstration |  |
| Bibliography <br> 1. I.D. ION, N. RADU, Algebra (ed.4), Editura Didactica si Pedagogica, 1990. <br> 2. I.D. ION, C. NITA, D. POPESCU, N. RADU: Probleme de algebra, Editura Didactica si Pedagogica, Bucuresti, 1981. <br> 3. C. NASTASESCU, I. STANESCU, C. NITA, Matematica, Elemente de algebra superioara, Editura Didactica si Pedagogica, Bucuresti, 1995. <br> 4. W. K. NICHOLSON, Linear Algebra and Applications, Lyryx Version, https://lila1.lyryx.com/textbooks/OPEN_LAWA_1/marketing/Nicholson-OpenLAWA-2021A.pdf <br> 5. I. PURDEA, C. PELEA, Probleme de algebra, EIKON, Cluj-Napoca, 2008. |  |  |

9. Corroborating the content of the discipline with the expectations of the epistemic community, professional associations and representative employers within the field of the program

The course presents notions which often appear in other undergraduate courses.
$\square$ The course offers a sufficiently general background for some highschool algebra topics and the opportunity to develop some problem solving skills useful for further teaching activities.
10. Evaluation

| 10.4 Course | Knowledge of basic concepts | Test | 25\% |
| :---: | :---: | :---: | :---: |
|  | Knowledge of basic results | Final exam. | 25\% |
| 10.5 Seminar/laborator | Examples and problem solving | Final exam. | 50\% |
| 10.6 Minimum performance standards |  |  |  |
| The final grade must be at least 5 . |  |  |  |
| Date | Signature of course coordinator |  | of sem |
| 19.04.2022 | Assist. Prof. PhD. Cosmin Pelea |  | f. PhD |

Date of approval
Signature of the head of department
Prof.PhD. Octavian AGRATINI

