#### **SYLLABUS**

# 1. Information regarding the programme

1.1 Higher education institution	Babes-Bolyai University
1.2 Faculty	Faculty of Mathematics and Computer Science
1.3 Department	Departament of Mathematics
1.4 Field of study	Mathematics
1.5 Study cycle	Bachelor
1.6 Study programme /	Mathematics-Computer Science
Qualification	

### 2. Information regarding the discipline

2.1 Name of the discipline Algebra 1 (Linear Al			gebra 1 (Linear Algebra	ı)			
2.2 Course coordinator Assistant Professor PhD. Cosmin Pelea							
2.3 Seminar coordinator			Ass	sistant Professor PhD. (	Cosmi	n Pelea	
2.4. Year of <b>1</b> 2.5 Semestel <b>1</b> 2.6. Type			2.6. Type of	E	2.7 Type of	Compulsory	
study				evaluation		discipline	

#### **3. Total estimated time** (hours/semester of didactic activities)

3.1 Hours per week	4	Of which: 3.2 course	2	3.3 seminar/laboratory	2	
3.4 Total hours in the curriculum	56	Of which: 3.5 course	28	3.6	28	
				seminar/laboratory		
Time allotment:	Time allotment:					
Learning using manual, course support,	bibli	ography, course notes			28	
Additional documentation (in libraries,	on el	ectronic platforms, field	docun	nentation)	20	
Preparation for seminars/labs, homework	rk, pa	pers, portfolios and essa	ys		28	
Tutorship						
Evaluations						
Other activities:					-	
3.7 Total individual study hours	3.7 Total individual study hours 94					
3.8 Total hours 150						
per semester						
3.9 Number of 6						
ECTS credits						

# **4. Prerequisites** (if necessary)

<u> </u>	
4.1. curriculum	
4.2. competencies	

#### **5. Conditions** (if necessary)

5.1. for the course	
5.2. for the seminar /lab	
activities	

6. Specif	6. Specific competencies acquired						
Professional competencies			ories and using the specific languatical methods to a given problem.	age			
Transversal competencies	CT1. Applying some rules of precise and efficient work, showing a responsible attitude regarding the scientific domain and teaching training for an optimal and creative development of the personal potential in specific situations, respecting the deontological norms.						
7. Objec	tives of the discipli	ne (outcome of the acquir	ed competencies)				
7.1 Gene	eral objective of the	☐ To introduce the	e basic notions of linear algebra.				
7.2 Specidiscipline	ific objective of the		me basic results on vector spaces ons, eigenvalues, eigenvectors ar	-			
8. Conte	nt						
8.1 Cour	se		Teaching methods	Remarks			
	s. Rings. Fields.		<ul> <li>☐ Interactive exposure</li> <li>☐ Explanation</li> <li>☐ Conversation</li> <li>☐ Didactical demonstration</li> </ul>				
	omial rings. Matrix r		<ul> <li>□ Interactive exposure</li> <li>□ Explanation</li> <li>□ Conversation</li> <li>□ Didactical demonstration</li> </ul>				
3. Determinants. The inverse of a matrix			<ul><li>☐ Interactive exposure</li><li>☐ Explanation</li><li>☐ Conversation</li></ul>				

☐ Didactical demonstration

4. The rank of a matrix. Systems of linear equations	☐ Interactive exposure	
	☐ Explanation	
	☐ Conversation	
	☐ Didactical demonstration	
5. Elementary operations on a matrix. Applications	☐ Interactive exposure	
· · · · · · · · · · · · · · · · · · ·	☐ Explanation	
	☐ Conversation	
	☐ Didactical demonstration	
6. Vector spaces. Subspaces. The generated subspace	☐ Interactive exposure	
o. vector spaces. Subspaces. The generated subspace	-	
	☐ Explanation	
	☐ Conversation	
	☐ Didactical demonstration	
7. Linear maps	☐ Interactive exposure	
	☐ Explanation	
	☐ Conversation	
	☐ Didactical demonstration	
8. Test		
9. Bases	☐ Interactive exposure	
	☐ Explanation	
	☐ Conversation	
	☐ Didactical demonstration	
10. Dimension	☐ Interactive exposure	
	☐ Explanation	
	☐ Conversation	
	☐ Didactical demonstration	
11. Matrices and linear maps	☐ Interactive exposure	
THE PLANTAGE WITH THE PARTY OF	☐ Explanation	
	☐ Conversation	
	☐ Didactical demonstration	
12. Eigenvectors and eigenvalues		
12. Eigenvectors and eigenvalues	☐ Interactive exposure	
	☐ Explanation	
	☐ Conversation	
	☐ Didactical demonstration	
13. Diagonalisable matrices. Hamilton-Cayley	☐ Interactive exposure	
Theorem	☐ Explanation	
	☐ Conversation	
	☐ Didactical demonstration	
14. Bilinear and quadratic forms.	☐ Interactive exposure	
	☐ Explanation	
	☐ Conversation	
	☐ Didactical demonstration	
Ribliography		

- 1. R. COVACI, Algebra si programare liniara, Litografia UBB, Cluj-Napoca, 1986.
- 2. S. CRIVEI, Basic Abstract Algebra, Ed. Casa Cartii de Stiinta, Cluj-Napoca, 2002, 2003.
- 3. C. NASTASESCU, I. STANESCU, C. NITA, Matematica, Elemente de algebra superioara, Editura Didactica si Pedagogica, Bucuresti, 1995.

4. W. K. NICHOLSON, Linear Algebra and Applications, Lyryx Version,						
https://lila1.lyryx.com/textbooks/OPEN_LAWA_1/marketing/Nicholson-OpenLAWA-2021A.pdf						
5. I. PURDEA, I. POP, Algebra, Editura GIL, Zalau, 2003.						
8.2 Seminar / laboratory	Teaching methods	Remarks				
1. Groups. Rings. Fields. Review.	☐ Interactive exposure					
	☐ Explanation					
	☐ Conversation					
	☐ Didactical demonstration					
2. Determinants.	☐ Interactive exposure					
	☐ Explanation					
	☐ Didactical demonstration					
3. The rank of a matrix	☐ Interactive exposure					
	☐ Explanation					
	☐ Conversation					
	☐ Didactical demonstration					
4. The inverse of a matrix	☐ Interactive exposure					
	☐ Explanation					
	☐ Conversation					
	☐ Didactical demonstration					
5. Systems of linear equations	☐ Interactive exposure					
	☐ Explanation					
	□ Conversation					
	☐ Didactical demonstration					
6. Vector spaces.	☐ Interactive exposure					
	☐ Explanation					
	☐ Conversation					
	☐ Didactical demonstration					
7. Subspaces. Generated subspace	☐ Interactive exposure					
	☐ Explanation					
	☐ Didactical demonstration					
8. Linear maps	☐ Interactive exposure					
	☐ Explanation					
	□ Conversation					
	☐ Didactical demonstration					
9. Bases	☐ Interactive exposure					
	☐ Explanation					
	□ Conversation					
	☐ Didactical demonstration					
10. Dimension formulas.	☐ Interactive exposure					
	☐ Explanation					
	□ Conversation					
	☐ Didactical demonstration					
11. Dimension and generated subspaces.	☐ Interactive exposure					
	☐ Explanation					
	☐ Conversation					
	☐ Didactical demonstration					

12. Matrices and linear maps	☐ Interactive exposure				
	☐ Explanation				
	☐ Conversation				
	☐ Didactical demonstration				
13. Eigenvectors and eigenvalues. Diagonalisable	☐ Interactive exposure				
matrices. Hamilton-Cayley Theorem	☐ Explanation				
	☐ Conversation				
	☐ Didactical demonstration				
14. Bilinear and quadratic forms.	☐ Interactive exposure				
	☐ Explanation				
	☐ Conversation				
	☐ Didactical demonstration				
Bibliography					
1. I.D. ION, N. RADU, Algebra (ed.4), Editura Didacti	ca si Pedagogica, 1990.				
2. I.D. ION, C. NITA, D. POPESCU, N. RADU: Proble	eme de algebra, Editura Didactio	a si Pedagogica,			
Bucuresti, 1981.					
3. C. NASTASESCU, I. STANESCU, C. NITA, Matematica, Elemente de algebra superioara, Editura					
Didactica si Pedagogica, Bucuresti, 1995.					
4. W. K. NICHOLSON, Linear Algebra and Applications, Lyryx Version,					
https://lila1.lyryx.com/textbooks/OPEN_LAWA_1/marketing/Nicholson-OpenLAWA-2021A.pdf					
5. I. PURDEA, C. PELEA, Probleme de algebra, EIKO	N, Cluj-Napoca, 2008.				
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# 9. Corroborating the content of the discipline with the expectations of the epistemic community, professional associations and representative employers within the field of the program

☐ The course presents notions which often appear in other undergraduate courses.	
☐ The course offers a sufficiently general background for some highschool algebra topics and the	e
opportunity to develop some problem solving skills useful for further teaching activities.	

#### 10. Evaluation

10. L'alaation						
10.4 Course	Knowledge of basic	Test	25%			
	concepts					
	Knowledge of basic	Final exam.	25%			
	results					
10.5 Seminar/laborator	Examples and problem	Final exam.	50%			
solving						
10.6 Minimum performance standards						
The final grade must be at least 5.						
The final grade mass so at least st						

Date Signature of course coordinator Signature of seminar coordinator

19.04.2022 Assist. Prof. PhD. Cosmin Pelea Assist. Prof. PhD. Cosmin Pelea

Date of approval

Signature of the head of department

Prof.PhD. Octavian AGRATINI