#### **SYLLABUS**

1.1 Higher education	
institution	Babes-Bolyai University
1.2 Faculty	
	Mathematics and Computer Science
1.3 Department	
	Department of Mathematics
1.4 Field of study	
	Mathematics
1.5 Study cycle	
	Master of Science
1.6 Study programme /	
Qualification	Master of Didactics of Mathematics

#### **1. Information regarding the programme**

#### 2. Information regarding the discipline

2.1 Name of the di	sciplin	ne (en)					
(ro)			T	<b>Copics in Geometry</b>	' III		
2.2 Course coordin	ator						
			P	rof. PhD. Dorin An	drica		
2.3 Seminar coord	inator						
			P	rof. PhD. Dorin An	drica		
2.4. Year of study	2	2.5 Semester	4	2.6. Type of	Ε	2.7 Type of	Optional
				evaluation		discipline	
2.8 Code of the		MME3036					·
discipline							

### 3. Total estimated time (hours/semester of didactic activities)

3.1 Hours per week	3	Of which: 3.2 course	2	3.3	1
				seminar/laboratory	
3.4 Total hours in the curriculum	36	Of which: 3.5 course	24	3.6	12
				seminar/laboratory	
Time allotment:					hours
Learning using manual, course support, bibliography, course notes					50
Additional documentation (in libraries, on electronic platforms, field documentation)					30
Preparation for seminars/labs, homework, papers, portfolios and essays					34
Tutorship					40
Evaluations				10	
Other activities:					-
3.7 Total individual study hours164					

5.7 Total marvidual study nouis	104
3.8 Total hours per semester	200
3.9 Number of ECTS credits	7

# 4. Prerequisites (if necessary)

4.1. curriculum	
	Minimal knowledges of vector calculus, complex numbers and
	analytic geometry
4.2. competencies	•

# 5. Conditions (if necessary)

5.1. for the course	•
5.2. for the seminar /lab	•
activities	

#### 6. Specific competencies acquired

	te competencies acquireu
ional	• The capacity to understand methodical and scientific mathematical works, to propose new problems and to open new research.
<b>Professional</b> competencies	• The capacity to find a suitable real documentation, to work independently or in a team in order to solve some problems of different levels of complexity.
Transversal competencies	• The capacity to understand and to use concepts, results and fundamental and advanced mathematical theories.

# 7. Objectives of the discipline (outcome of the acquired competencies)

7.1 General objective of the discipline	<ol> <li>To obtain new notions and results in geometry which are useful to understand and to improve new directions in modern mathematics.</li> <li>To get the abilities to apply the new theoretical results in the study of some concrete problems in a modern setting.</li> </ol>
	3. To realize connections with other mathematical disciplines.
7.2 Specific objective of the	At the end of the course the students will be able
discipline	1) to identify correctly various geometric configurations and the existing
-	connections;
	2) to combine the results and the methods in order to solve geometry problem
	of various level of difficulties.

## 8. Content

8.1 Course	Teaching methods	Remarks
1. Week 1: Elements of vector algebra in plane and	presentation,	
space.	explanation, dialog,	
	problem-solving	
2. Week 2: The dot product and Lagrange Theorem.	presentation,	
	explanation, dialog,	
	problem-solving	

3. Week 3: The cross product and the triple scalar	presentation,
product.	explanation, dialog,
	problem-solving
4. Week 4: The group of isometries	presentation,
	explanation, dialog,
	problem-solving
5. Week 5: Nonisometric transformations :	presentation,
homothety	explanation, dialog,
	problem-solving
6. Week 6: Nonisometric transformations : inversion	presentation,
	explanation, dialog,
	problem-solving
7. Week 7: The real product of two complex numbers	presentation,
	explanation, dialog,
	problem-solving
8. Week 8: The complex product of two complex	presentation,
numbers	· ·
numbers	explanation, dialog,
	problem-solving
9. Week 9: The n-th roots of unity	presentation,
	explanation, dialog,
	problem-solving
10. Week 10: Classical theorems proved by complex	presentation,
numbers	explanation, dialog,
	problem-solving
11. Week 11: The group of plane isometries described	presentation,
by complex numbers	explanation, dialog,
	problem-solving
12. Week 12: Nonisometric transformations of	presentation,
complex plane	explanation, dialog,
	problem-solving

Bibliography

1.Andreescu, T., Andrica, T., Complex Numbers from A to...Z, Second Edition, Birkhauser, 2014.

2.Andrica,D, GEOMETRIE. Teme pentru perfectionarea profesorilor de matematica 4, Casa Cartii de Stiinta, 2017. 3.Andrica,D.,s.a.,Teme si probleme alese de geometrie,Editura Plus,Bucuresti,2002.

4. Andrica, D., s.a., Matematica de baza, Editura Studium, Editia a 4-a, Cluj-Napoca, 2004.

5.Berger, M., Geometrie, CEDUC NathanParis, 1977-1978.

6.Coxeter, H.S.M., Greitzer, S.L., Geometry Revisited, Random House, New York, 1967.

7.Engel, A., Problem-Solving Strategies, Springer Verlag, 1998.

8.Fenn,R.,Geometry,Springer Verlag,2001.

9.Hahn,L.,Complex Numbers & Geometry,The Mathematical Association of America,1994.

10.Mihalescu, C., Geometria elementelor remarcabile, Societatea de Stiinte Matematice din Romania, 2007.

8.2 Seminar / laboratory	Teaching methods	Remarks
1. Collinearity problems solved by vector algebra	conversation, dialog,	
	problem-solving	
	strategies	

2. Metric problems solved by the dot product	conversation, dialog, problem-solving
	strategies
3. Problems involving areas	conversation, dialog,
	problem-solving
	strategies
4. Problems solved by translation	conversation, dialog,
	problem-solving
	strategies
5. Problems solved by symmetry	conversation, dialog,
	problem-solving
	strategies
6. Problems solved by homothety	conversation, dialog,
0. Trobenis solved by nonioticity	problem-solving
	strategies
7. Problems solved by inversion	conversation, dialog,
7. FIODELIIS SOLVED BY IIIVEISION	
	problem-solving
	strategies
8. Metric problems solved by the real product	conversation, dialog,
	problem-solving
	strategies
9. Written paper	
10. Problems involving areas solved by the	conversation, dialog,
complex product	problem-solving
	strategies
11. Barycentric coordinates in the complex plane	conversation, dialog,
	problem-solving
	strategies
12. Problems solved using barycentric coordinates	conversation, dialog,
12. 1 totolins sorved using our yeartife coordinates	problem-solving
	strategies
12	
13.	

Bibliography

1.Andreescu, T., Andrica, T., Complex Numbers from A to...Z, Birkhauser, 2006.

2. Andrica, D., Varga, Cs., Văcărețu, D., Teme și probleme alese de geometrie, Editura Plus, București, 2002

3.Barbu, C., Teoreme fundamentale din Geometria triunghiului, Editura Unique, Bacau, 2008

4.Salagean, Gr.S., Geometria planului complex, Ed. Promedia-Plus, Cluj-Napoca, 1997.

5. Scwerdtfeger, H., Geometry of Complex Numbers, University of Toronto Press, Toronto, 1962.

6.Yaglom, I., M., Complex Numbers in Geometry, Academic Press, New York, 1968.

7.Yaglom, I., M., Geometric Transformations, Vol. I-III, The Mathematical Association of America, 1962, 1968, 1973.

# **9.** Corroborating the content of the discipline with the expectations of the epistemic community, professional associations and representative employers within the field of the program

1) The contents is directed towards applications of the methods of Geometry to mathematical didactics and problem solving.

2) Most of the topics in the course are included in the national curriculum and are necessary for various exams for teachers in general schools and high schools.

#### 10. Evaluation

Type of activity	10.1 Evaluation criteria	10.2 Evaluation methods	10.3 Share in the grade (%)
10.4 Course	To understand the notions and the results by typical examples or counterexamples. To be able to present the main ideas in the proof of the theoretical results.	Written exam	60%
	To develop a specific subject by reading the bibliography.	Report	10%
10.5 Seminar/lab activities	Solving problems skills	Quiz Continous observations	10% 10%
	Active participation in the classroom		10%
10.6 Minimum performance	e standards	•	÷
At least grade 5 (from a sc	ale of 1 to 10) at written exam	n	

Date	Signature of course coordinator	Signature of seminar coordinator
30.04.2019	Prof. Dr. Dorin Andrica	Prof. Dr. Dorin Andrica

Date of approval

Signature of the head of department

Prof. Dr. Octavian Agratini