SYLLABUS

1. Information regarding the programme

1.1 Higher education	Babes-Bolyai University
institution	
1.2 Faculty	Faculty of Mathematics and Computer Science
1.3 Department	Department of Mathematics
1.4 Field of study	Computer Science
1.5 Study cycle	Bachelor
1.6 Study programme /	Computer Science
Qualification	

2. Information regarding the discipline

2.1 Name of the	dis	scipline	Dy	namical Systems			
2.2 Course coor	din	ator		Conf. dr. Adriana Bui	că		
2.3 Seminar coo	ordi	nator		Conf. dr. Adriana Bui	că		
2.4. Year of	1	2.5	2	2.6. Type of	E	2.7 Type of	DC
study		Semester		evaluation		discipline	

3. Total estimated time (hours/semester of didactic activities)

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3.1 Hours per week 4 Of which: 3.2 course 2 3.3			2		
seminar/laboratory					
3.4 Total hours in the curriculum	56	Of which: 3.5 course	28	3.6	28
				seminar/laboratory	
Time allotment:					hours
Learning using manual, course support	t, bil	oliography, course notes	S		14
Additional documentation (in libraries	s, on	electronic platforms, fie	eld do	cumentation)	8
Preparation for seminars/labs, homew	ork, j	papers, portfolios and e	ssays		14
Tutorship				28	
Evaluations				6	
Other activities:				-	
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3.7 Total individual study hours	70
3.8 Total hours per semester	126
3.9 Number of ECTS credits	5

4. Prerequisites (if necessary)

4.1. curriculum	Mathematical Analysis, Linear Algebra, Basics of Geometry,
	Basics of Physics
4.2. competencies	Derivation and integration, Taylor expansion, properties of real
	functions, eigenvalues, the Kernel of a linear map, the main
	quadratic curves, the Newton's second law of movement

5. Conditions (if necessary)

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5.2. for the seminar /lab	Computers for the laboratory activity
activities	

6. Specific competencies acquired

orspeen	ic competencies acquired
Professional competencies	C4.5 The incorporation of formal models in specific applications from different domains
Transversal competencies	 CT1 To apply the rules of organized and efficient work, of responsible attitudes toward the didactic-scientific domain, for the creative valorization of their own potential, respecting the principles and the norms of the professional ethic. CT3 To use some efficient methods and techniques to learn, to inform themselves, to do research and to develop the abilities for the valorization of their knowledges, to adapt to a dynamical society, and to communicate.

7. Objectives of the discipline (outcome of the acquired competencies)

7.1 General objective of the discipline	Introduction to the basic problems of dynamical systems theory as well as the discussion of some related formal models
7.2 Specific objective of the discipline	 To understand the concepts of equilibrium point, orbit, periodic orbit, stability, chaos and to operate with them at least in some simple situations.

8. Content

8.1 Course	Teaching methods	Remarks
Introduction to differential equations (notions, initial conditions, boundary conditions, examples, fundamental problems)	 Interactive exposure Explanation Conversation Didactical demonstration 	
Linear differential equations (existence and uniqueness theorem, fundamental theorems)	 Interactive exposure Explanation Conversation Didactical demonstration 	
Linear differential equations with constant coefficients.	 Interactive exposure Explanation Conversation Didactical demonstration 	
4. Linear differential equations. Applications (Newton's law of cooling, Pendulum equation, Harmonic oscillations)	 Interactive exposure Explanation Conversation Didactical demonstration 	

5.	The dynamical system generated by a differential equation (main notions and first examples)	Interactive exposureExplanationConversationDidactical demonstration	
6.	Stability of equilibria (definition, examples, stability of linear systems, the linearization method)	 Interactive exposure Explanation Conversation Didactical demonstration 	
7.	Approximate solutions for differential equations (power series solutions, succesive approximations)	 Interactive exposure Explanation Conversation Didactical demonstration 	
8.	Numerical methods for ordinary differential equations (Euler and Runge-Kutta numerical formulas)	 Interactive exposure Explanation Conversation Didactical demonstration 	
9.	Linear recurrences (difference equations) with constant coefficients (fundamental theorems, Fibonacci sequence)	 Interactive exposure Explanation Conversation Didactical demonstration 	
10	. Linear systems of difference equations (convergent matrix, complex notation)	 Interactive exposure Explanation Conversation Didactical demonstration 	
11.	Nonlinear scalar discrete dynamical systems (notions, examples, stability of a fixed point)	 Interactive exposure Explanation Conversation Didactical demonstration 	
12.	The logistic map. Euler numerical formula revisited.	 Interactive exposure Explanation Conversation Didactical demonstration 	
13	. Higher dimensional discrete dynamical systems (notions, examples, stability of the fixed points).	 Interactive exposure Explanation Conversation Didactical demonstration 	
14	An overview. Free discussions on the importance of the field of dynamical systems in understanding the physical phenomena.	Interactive exposureConversation	

Bibliography

- The webpage of the course http://www.math.ubbcluj.ro/~abuica/dynsys.htm
 P. Blanchard, R.L. Devaney, G.R. Hall, Differential Equations, Brooks/Cole, Cengage Learning, 2012.
- 3. R.Precup, Ecuatii diferentiale, Risoprint, Cluj-Napoca, 2011.

8.2 Seminar / laboratory	Teaching methods	Remarks
Seminar 1. Linear homogeneous differential equations	• Explanation	Remarks
with constant coefficients. General solutions and	Conversation	
properties of solutions (periodicity, oscillations,	Didactical	
boundedness)		
· · · · · · · · · · · · · · · · · · ·	demonstration	
Laboratory 1. Introduction to Maple. Basic notions.	• Explanation	
	Conversation	
	Didactical	
	demonstration	
Seminar 2. Linear differential equations (the method of	Explanation	
undetermined coefficients, the Lagrange method).	Conversation	
	Didactical	
	demonstration	
Laboratory 2. The use of Maple to find the general solution	Explanation	
of linear differential equations, to solve initial and	Conversation	
boundary value problems and to study the properties of	Didactical	
solutions	demonstration	
Solutions	demonstration	
Seminar 3. Linear differential equations. Test.	Explanation	
Jennina J. Linear amerential equations. Test.	<u> </u>	
	• Conversation	
	Didactical	
	demonstration	
Laboratory 3. The use of Maple to find the general solution	Explanation	
to Euler equations and to linear systems. Power series	 Conversation 	
method.	Didactical	
	demonstration	
Seminar 4. Phase portraits of scalar nonlinear dynamical	Explanation	
systems and planar linear systems.	• Conversation	
	Didactical	
	demonstration	
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Laboratory 4. Orbits and direction fields of planar systems.	Explanation	
,	• Conversation	
	Didactical	
	demonstration	
	demonstration	
Seminar 5. Stability of linear systems and of equilibria of	• Evalenation	
nonlinear systems.	• Explanation	
Homilical systems.	• Conversation	
	• Didactical	
	demonstration	
Laborator F First internal of the control of the co	P 1	
Laboratory 5. First integrals of planar systems around	Explanation	
equilibria of center type.	Conversation	
	Didactical	
	demonstration	
Seminar 6. Test. Introduction to linear recurrences.	Explanation	
	Conversation	
	Didactical	
	demonstration	
Laboratory 6. Numerical methods.	Explanation	
	Conversation	
	2011. 210441011	

	Didactical demonstration
Seminar 7. Linear recurrences.	 Explanation Conversation Didactical demonstration
Laboratory 7. Final test.	Examination

Bibliography

- 1. The webpage of the course http://www.math.ubbcluj.ro/~abuica/dynsys.htm
- 2. P. Blanchard, R.L. Devaney, G.R. Hall, Differential Equations, Brooks/Cole, Cengage Learning, 2012.
- 3. S. Lynch, Dynamical systems with applications using MAPLE, Birkhauser, 2001.
- 4. Gh. Micula, P. Pavel, Ecuatii diferentiale si integrale prin probleme si exercitii, Ed. Dacia, Cluj-Napoca, 1989
- 5. R. Precup, Ecuatii diferentiale, Risoprint, Cluj-Napoca, 2011.

9. Corroborating the content of the discipline with the expectations of the epistemic community, professional associations and representative employers within the field of the program

The content of this discipline is synchronized with the curriculum of most of the important universities from our country and from abroad where the applied mathematics plays an important role.

10. Evaluation

Type of activity	10.1 Evaluation criteria	10.2 Evaluation methods	10.3 Share in the grade (%)
10.4 Course	To know the notions and their properties by examples or counterexamples. To be able to apply the theoretical results in concrete problems.	Exam	65%
10.5 Seminar/lab activities	Solving problems skills	Two tests	20%
	• Interest and implication in each lab activity. One final test in the last lab.	Dialogue in each lab and one final test	15%
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10.6 Minimum performance standards

• Presence at least at 90% from the lab activities, at least 10% points from the lab activity, at least 15% points from the written final exam and the minimum passing grade is 5.

Date Signature of course coordinator Signature of seminar coordinator

30-04-2015 Conf. dr. Adriana Buică Conf. dr. Adriana Buică Date of approval Signature of the head of department

30-04-2015 Prof. dr. Octavian Agratini