

## FIȘA DISCIPLINEI

### 1. Information regarding the programme

1.1 Higher education institution	<b>Babeș Bolyai University</b>
1.2 Faculty	<b>Faculty of Mathematics and Computer Science</b>
1.3 Department	<b>Department of Computer Science</b>
1.4 Field of study	<b>Mathematics</b>
1.5 Study cycle	<b>Master</b>
1.6 Study programme / Qualification	<b>Mathematics</b>

### 2. Information regarding the discipline

2.1 Name of the discipline	<b>Module Theory</b>						
2.2 Course coordinator	<b>Assoc.Prof.PhD. Simion Breaz</b>						
2.3 Seminar coordinator	<b>Assoc.Prof.PhD. Simion Breaz</b>						
2.4. Year of study	<b>1</b>	2.5 Semester	<b>2</b>	2.6. Type of evaluation	<b>E</b>	2.7 Type of discipline	<b>Compulsory</b>

### 3. Total estimated time (hours/semester of didactic activities)

3.1 Hours per week	2	Of which: 3.2 course	2	3.3 seminar/laboratory	1
3.4 Total hours in the curriculum	42	Of which: 3.5 course	28	3.6 seminar/laboratory	14
Time allotment:					hours
Learning using manual, course support, bibliography, course notes					30
Additional documentation (in libraries, on electronic platforms, field documentation)					30
Preparation for seminars/labs, homework, papers, portfolios and essays					30
Tutorship					23
Evaluations					10
Other activities: test					10
3.7 Total individual study hours			133		
3.8 Total hours per semester			175		
3.9 Number of ECTS credits			7		

### 4. Prerequisites (if necessary)

4.1. curriculum	
4.2. competencies	

### 5. Conditions (if necessary)

5.1. for the course	
5.2. for the seminar /lab activities	

## 6. Specific competencies acquired

<b>Professional competencies</b>	<ul style="list-style-type: none"> <li>• Ability to understand and manipulate advanced concepts, results and theories in the fields of mathematics.</li> <li>• Ability to understand scientific papers in the fields of mathematics, to put new problems and to initiate new research.</li> <li>• Ability to communicate in a scientific language and to make reports and scientific papers.</li> </ul>
<b>Transversal competencies</b>	<ul style="list-style-type: none"> <li>• Ability to communicate and teach fundamental and advanced knowledge from the fields of mathematics.</li> <li>• Ability to use basic and complementary knowledge in pursuing a doctoral program in the fields of Mathematics.</li> <li>• Ability for continuous self-perfecting and study.</li> </ul>

## 7. Objectives of the discipline (outcome of the acquired competencies)

7.1 General objective of the discipline	The students will be able to manage notions, results, and techniques related to Module Theory over non-commutative rings
2 Specific objective of the discipline	<p>The students will:</p> <ul style="list-style-type: none"> <li>• understand notions as direct sum, direct product, tensor product;</li> <li>• construct new objects;</li> <li>• use the injective hull and the projective cover;</li> <li>• use various classes of submodules/supromodules.</li> </ul>

## 8. Content

8.1 Course	Teaching methods	Remarks
1. Basic notions: rings, modules, submodules, homomorphisms	Exposure: description, explanation, examples, discussion of case studies	
2. Direct sum; Direct summand	Exposure: description, explanation, examples, discussion of case studies	
3. Direct product	Exposure: description, explanation, examples, discussion of case studies	
4. Free and projective modules	Exposure: description, explanation, examples, discussion of case studies	
5. Injective modules	Exposure: description, explanation, examples, discussion of case studies	
6. Semi-simple rings and modules	Exposure: description,	

	explanation, examples, discussion of case studies	
7. Finiteness conditions	Exposure: description, explanation, examples, discussion of case studies	
8. Noetherian/artinian modules	Exposure: description, explanation, examples, discussion of case studies	
9. Tensor product.	Exposure: description, explanation, examples, discussion of case studies	
10. Flat modules	Exposure: description, explanation, examples, discussion of case studies	
11. Pure submodules	Exposure: description, explanation, examples, discussion of case studies	
12. Modules over PID	Exposure: description, explanation, examples, discussion of case studies	
13. Rings and modules of fractions	Exposure: description, explanation, examples, discussion of case studies	
14. Nonsingular rings and modules	Exposure: description, explanation, examples, discussion of case studies	
References		
1. Anderson, F.W., Fuller, K.R.: Rings and Categories of Modules, Graduate Texts in Math. Vol. 13, Springer-Verlag, 1992.		
2. Lam, T.Y.: Lectures On Modules and Rings, Graduate Texts in Math. Vol. 189, Springer-Verlag, 1999.		
3. Lam, T.Y.: A First Course in Noncommutative rings, Graduate Texts in Math. Vol. 131, Springer-Verlag, 1991.		
8.2 Seminar / laborator	Metode de predare	Observații
1. Basic notions: rings, modules, submodules, homomorphisms	Exposure: description, explanation, examples, discussion of case studies	
2. Direct sum; Direct summand	Exposure: description, explanation, examples, discussion of case studies	
3. Direct product	Exposure: description, explanation, examples, discussion of case studies	

4. Free and projective modules	Exposure: description, explanation, examples, discussion of case studies	
5. Injective modules	Exposure: description, explanation, examples, discussion of case studies	
6. Semi-simple rings and modules	Exposure: description, explanation, examples, discussion of case studies	
7. Finiteness conditions	Exposure: description, explanation, examples, discussion of case studies	
8. Noetherian/artinian modules	Exposure: description, explanation, examples, discussion of case studies	
9. Tensor product.	Exposure: description, explanation, examples, discussion of case studies	
10. Flat modules	Exposure: description, explanation, examples, discussion of case studies	
11. Pure submodules	Exposure: description, explanation, examples, discussion of case studies	
12. Modules over PID	Exposure: description, explanation, examples, discussion of case studies	
13. Rings and modules of fractions	Exposure: description, explanation, examples, discussion of case studies	
14. Nonsingular rings and modules	Exposure: description, explanation, examples, discussion of case studies	
1. Anderson, F.W., Fuller, K.R.: Rings and Categories of Modules, Graduate Texts in Math. Vol. 13, Springer-Verlag, 1992. 2. Lam, T.Y.: Exercices in Classical Ring Theory, Problem Books in Mathematics, Springer-Verlag, 1995. 3. Lam, T.Y.: Exercices in Modules and Rings, Problem Books in Mathematics, Springer-Verlag, 2007.		

**9. Corroborating the content of the discipline with the expectations of the epistemic community, professional associations and representative employers within the field of the program**

The course respects the standards used by many universities;  
 The course exists in the studying program of all major universities in Romania and abroad;

### 10. Evaluation

Type of activity	10.1 Evaluation criteria	10.2 Evaluation methods	10.3 Share in the grade (%)
10.4 Course	Theoretic notions and results (with proofs),	Test+ Final exam	50%
	Definitions, statements, examples	Final exam	25%
10.5 Seminar/laborator	Solving specific exercises and problems	Final exam	25%
10.6 Minimum performance standards			
<ul style="list-style-type: none"> <li>At the final exam the grade should be at least 5</li> </ul>			

Date                      Signature of course coordinator

30.04.2014      conf. Dr. Simion-Sorin Breaz

Signature of seminar coordinator

conf. Dr. Simion-Sorin Breaz

Date of approval

.....

Signature of the head of department

prof. Dr. Octavian Agratini