

IMPORTANT NOTE:

In the absence of other specifications:

- Assume that all arithmetic operations are performed on unlimited data types (there is no *overflow/underflow*).
- Arrays are indexed starting from 1.
- All constraints refer to the values of the actual parameters at the time of the initial call.

1. Let us consider the algorithm  $f(a, b)$ , where  $a$  and  $b$  are non-zero natural numbers ( $1 \leq a, b \leq 10^9$ ).

```
1: Algorithm f(a, b):
2:   If a = b then
3:     Return a
4:   EndIf
5:   If a > b then
6:     Return f(a - b, b)
7:   EndIf
8:   Return f(a, b - a)
9: EndAlgorithm
```

Which of the following statements are true?

- A. For the call  $f(2000, 21)$ , the algorithm returns 1.
- B. For the call  $f(2000, 21)$  the algorithm does not finish its execution due to the condition on line 2.
- C. In order for the algorithm to return the greatest common divisor of  $a$  and  $b$ , line 8 should be changed to:  
`Return f(b - a, b).`
- D. In order for the call  $f(2000, 21)$  to return the value 1, line 8 should be changed to: `Return f(b - a, b - a).`

2. Let us consider the following algorithm sequence, where  $a$  is an array of  $n$  natural numbers ( $a[1], a[2], \dots, a[n]$ ,  $1 \leq a[i] \leq 10^4$ , for  $i = 1, 2, \dots, n$ ), and  $n$  is a non-zero natural number ( $1 \leq n \leq 10^4$ ):

```
For i ← 1, n - 1 execute
  poz ← i
  For j ← i + 1, n execute
    If a[j] < a[poz] then
      poz ← j
    EndIf
  EndFor
  If poz ≠ i then
    temp ← a[i]
    a[i] ← a[poz]
    a[poz] ← temp
  EndIf
EndFor
```

Which of the following statements are true in the moment when  $i$  becomes 2?

- A.  $a[1] \leq a[k]$  for any  $k \in \{1, 2, \dots, n\}$
- B.  $a[n] \leq a[k]$  for any  $k \in \{1, 2, \dots, n\}$
- C.  $a[1] \geq a[k]$  for any  $k \in \{1, 2, \dots, n\}$
- D.  $a[k] \leq a[k + 1]$  for any  $k \in \{1, 2, \dots, n - 1\}$

3. Let us consider the algorithm  $alg(n)$ , where  $n$  is a natural number ( $0 \leq n \leq 10^9$ ).

```
Algorithm alg(n):
  If n MOD 2 = 0 then
    Return n + alg(n - 1)
  Else
    Return n
  EndIf
EndAlgorithm
```

Which of the following statements are true?

- A. If  $n = 4$ , the value returned by the algorithm is 7.
- B. The algorithm returns the sum of all natural numbers that are smaller than  $n$ .
- C. The algorithm returns the sum of all natural numbers that are smaller or equal to  $n$ .
- D. If  $n = 7$ , the algorithm returns the value 7.

4. Let us consider the algorithm  $f(nr)$ , where  $nr$  is an integer ( $-10^4 \leq nr \leq 10^4$ ).

```
Algorithm f(nr):
  If nr < 0 then
    Return f(-nr)
  EndIf
  If (nr = 0) OR (nr = 7) then
    Return 1
  EndIf
  If nr < 10 then
    Return 0
  EndIf
  Return f((nr DIV 10) - 2 * (nr MOD 10))
EndAlgorithm
```

For what values of  $nr$  will the algorithm return the value 1?

- A. 308
- B. -7
- C. 7098
- D. 57

5. Let us consider the algorithm  $afis(n)$ , where  $n$  is a natural number ( $1 \leq n \leq 10^4$ ):

```
Algorithm afis(n):
  If n > 9 then
    If n MOD 2 = 0 then
      afis(n DIV 100)
      Write n MOD 10, " "
    Else
      afis(n DIV 10)
    EndIf
  EndIf
EndAlgorithm
```

For which of the following calls will the values 2 4 be printed, in this exact order?

- A.  $afis(1234)$
- B.  $afis(1224)$
- C.  $afis(4224)$
- D.  $afis(4321)$

6. Let us consider the algorithm  $Afişare(a)$ , where  $a$  is a natural number ( $1 \leq a \leq 10^4$ ).

```
Algorithm Afişare(a):
  If a < 9000 then
    Write a, " "
    Afişare(3 * a)
    Write a, " "
  EndIf
EndAlgorithm
```

What will be displayed for the call  $Afişare(1000)$ ?

- A. 1000 3000 9000 9000 3000 1000
- B. 1000 3000 9000 3000 1000
- C. 1000 3000 3000 1000
- D. 1000 3000 9000

7. Let us consider the algorithm  $f(n, x)$ , where  $n$  is a natural number ( $3 \leq n \leq 10^4$ ), and  $x$  is an array of  $n$  natural numbers ( $x[1], x[2], \dots, x[n], 1 \leq x[i] \leq 10^4$ , for  $i = 1, 2, \dots, n$ ):

```
Algorithm f(n, x):
  For i ← 1, n - 2 execute
    If x[i] + x[i + 1] ≠ x[i + 2] then
      Return False
    EndIf
  EndFor
  Return True
EndAlgorithm
```

For which of the following calls will the algorithm return *True*?

- A.  $f(3, [10, 15, 25])$
- B.  $f(4, [0, 0, 0, 0])$
- C.  $f(5, [100, 535, 635, 1170, 1805])$
- D.  $f(4, [0, 1, 0, 1])$

8. What is the result of converting the base 10 number  $2^{10} - 2^5 - 1$  to base 2?

- A. 1111011111
- B. 1010011001
- C. 1000011001
- D. None of the answers A, B, or C

9. Let us consider the algorithms  $\text{one}(a, b)$  and  $\text{two}(n, m)$  where the input parameters  $a, b, n$  and  $m$  are natural numbers ( $2 \leq a, b, n, m \leq 10^6, n < m$ ).

**Algorithm**  $\text{one}(a, b)$ :

```

s ← 0
For i ← 1, a execute
    If a MOD i = 0 then
        s ← s + i
    EndIf
EndFor
For i ← 1, b execute
    If b MOD i = 0 then
        s ← s + i
    EndIf
EndFor
Return s
EndAlgorithm

```

**Algorithm**  $\text{two}(n, m)$ :

```

For i ← n, m execute
    If one(i, i) = 2 * i + 2 then
        Write i, " "
    EndIf
EndFor
EndAlgorithm

```

Which of the following statements are true?

- A. The algorithm  $\text{two}(n, m)$  will not print anything, regardless of the values of its input parameters.
- B. The algorithm  $\text{two}(n, m)$  prints the prime numbers from the interval  $[n, m]$ .
- C. The algorithm  $\text{two}(n, m)$  prints the numbers that are divisible by 2 from the interval  $[n, m]$ .
- D. None of the other variants is correct.

10. Let us consider the algorithm  $\text{decide}(n, x)$ , where  $n$  is a non-zero natural number ( $1 \leq n \leq 10^4$ ), and  $x$  is an array of  $n$  natural numbers ( $x[1], x[2], \dots, x[n], 0 \leq x[i] \leq 100$ , for  $i = 1, 2, \dots, n$ ).

**Algorithm**  $\text{decide}(n, x)$ :

```

i ← 1
j ← n
While i < j AND x[i] = x[j] execute
    i ← i + 1
    j ← j - 1
EndWhile
If i ≥ j then
    Return True
Else
    Return False
EndIf
EndAlgorithm

```

When will the algorithm  $\text{decide}(n, x)$  return *True* ?

- A. Always
- B. If the elements of array  $x$  are  $[1, 2, 3]$
- C. If the elements of array  $x$  are  $[1, 1, 1]$
- D. If the elements of array  $x$  form a palindrome, meaning that  $x[i] = x[n - i + 1]$  for all  $i = 1, 2, \dots, n$

11. Let us consider the algorithm  $\text{alg}(a, b)$ , where  $a$  and  $b$  are natural numbers ( $1 \leq a, b \leq 10^3$ ).

**Algorithm**  $\text{alg}(a, b)$ :

```

If b = 0 then
    Return 1
Else
    Return a * alg(a, b - 1)
EndIf
EndAlgorithm

```

Which of the following statements are true?

- A. For the call  $\text{alg}(2, 3)$  the algorithm returns 7.
- B. For the call  $\text{alg}(2, 3)$  the algorithm is called 4 times, taking into account the initial call.
- C. The algorithm calculates and returns the value of  $a^{b-1}$ .
- D. The algorithm calculates and returns the value of  $a^b$ .

12. Let us consider the algorithm  $ceFace(a, b)$ , where  $a$  and  $b$  are natural numbers ( $1 < a, b \leq 10^5$ ). The algorithm  $prim(n)$  returns *True* if the number  $n > 1$  is prime, otherwise it returns *False*.

```

Algorithm ceFace(a, b):
  If prim(a) = True then
    Write a, " "
  Else
    If prim(b) ≠ True then
      ceFace(a, b + 1)
    Else
      If b > a then
        Write a, " "
      Else
        If a MOD b = 0 then
          Write b, " "
          ceFace(a DIV b, b)
        Else
          ceFace(a, b + 1)
        Endif
      Endif
    EndIf
  EndIf
EndAlgorithm

```

What will be printed after the call  $ceFace(100, 2)$ ?

- A. 2 5 5 5
- B. 5 5 2 2
- C. 2 2 2 5
- D. 2 2 5 5

13. Let us consider the algorithm  $f(n, p)$  where  $n$  is a non-zero natural number ( $1 \leq n \leq 10^9$ ), and  $p$  is a natural number ( $0 \leq p \leq 10^9$ ):

```

Algorithm f(n, p):
  If n ≤ 9 then
    If n MOD 2 = 0 then
      Return 10 * p + n
    Else
      Return p
    EndIf
  Else
    If n MOD 2 = 0 then
      p ← p * 10 + n MOD 10
    EndIf
    Return f(n DIV 10, p)
  EndIf
EndAlgorithm

```

Which of the following calls will return the value 22?

- A.  $f(23572, 0)$
- B.  $f(23527, 0)$
- C.  $f(2, 0)$
- D.  $f(1242, 0)$

14. Let us consider the algorithm  $cifre(n)$ , where  $n$  is a natural number ( $0 \leq n \leq 10^3$ ).

```

Algorithm cifre(n):
  If n ≥ 1 then
    If (n * 5) MOD 10 = 0 then
      Return cifre(n DIV 10)
    Else
      Return n MOD 10
    EndIf
  Else
    Return -1
  EndIf
EndAlgorithm

```

Which of the following statements are true?

- A. The algorithm always returns a number smaller than 10.
- B. The algorithm returns -1 if and only if the initial value of  $n$  is 0.
- C. For  $n \geq 1$ , the algorithm returns the least significant odd digit of  $n$ , or -1, if this does not exist.
- D. For  $n \geq 1$  the algorithm returns the most significant odd digit of  $n$ , or -1, if this does not exist.

15. Let us consider the algorithm  $\text{ceFace}(a, b)$ , where  $a$  and  $b$  are natural numbers ( $0 \leq a, b \leq 10^6$ ).

```

Algorithm ceFace(a, b):
  c ← 0
  p ← 1
  While a * b ≠ 0 execute
    If (a MOD 10) = (b MOD 10) then
      c ← (a MOD 10) * p + c
    Else
      If (a MOD 10) < (b MOD 10) then
        c ← ((b MOD 10 - a MOD 10) DIV 2) * p + c
      Else
        c ← ((a MOD 10 - b MOD 10) DIV 2) * p + c
      EndIf
    EndIf
    p ← p * 10
    a ← a DIV 10
    b ← b DIV 10
  EndWhile
  Return c
EndAlgorithm

```

Which of the following statements are true?

- A. If  $a = 0$  and  $b = 0$ , the algorithm returns 1.
- B. If  $a = 11$  and  $b = 111$ , the algorithm returns 11.
- C. If  $a = 5678$  and  $b = 5162738$ , the algorithm returns 1024.
- D. If  $a = 112233$  and  $b = 331122$ , the algorithm returns 110000.

16. Let us consider the algorithms  $\text{ceva}(n, m)$  and  $\text{altceva}(n, m)$ , where  $n$  and  $m$  are non-zero natural numbers ( $1 \leq n, m \leq 10^{12}$  and  $m \leq n$ ).

```

Algorithm ceva(n, m):
  nc ← n
  mc ← m
  While nc > 0 AND mc > 0 execute
    nc ← nc DIV 10
    mc ← mc DIV 10
  EndWhile
  If nc = mc then
    Return True
  Else
    Return False
  EndIf
EndAlgorithm

```

```

Algorithm altceva(n, m):
  c ← 0
  While ceva(n, m) = False execute
    m ← m * 10 + 1
    c ← c + 1
  EndWhile
  Write n, " ", m
  Return c
EndAlgorithm

```

Which of the following statements are true?

- A. The time complexity of algorithm  $\text{ceva}(n, m)$  is  $O(\log m)$ .
- B. The algorithm  $\text{altceva}(n, m)$  returns 0 if and only if  $n = m$ .
- C. The precondition  $m \leq n$  is required, since if  $m > n$  the algorithm  $\text{altceva}(n, m)$  will always enter an infinite loop.
- D. There exist  $n$  and  $m$  ( $m \leq n$ ) for which  $\text{altceva}(n, m)$  displays two values in ascending order.

17. Let us consider the algorithm  $h(s, d, A)$ , where  $s$  and  $d$  are non-zero natural numbers ( $1 \leq s, d \leq 10^3$ ) and  $A$  is an array of  $n$  non-zero natural numbers ( $A[1], A[2], \dots, A[n], 1 \leq A[i] \leq 10^3$ , for  $i = 1, 2, \dots, n$ ).

```

Algorithm h(s, d, A):
  If s = d then
    x ← A[s]
    y ← x MOD 10
    x ← x DIV 10
    While x > 0 execute
      z ← x MOD 10
      If z - y ≠ 2 then
        Return 0
      EndIf
      y ← z
      x ← x DIV 10
    EndWhile
    Return 1
  Else
    Return h(s, (s + d) DIV 2, A) + h((s + d) DIV 2 + 1, d, A)
  EndIf
EndAlgorithm

```

For which values of the number  $n$  and array  $A$  will the call  $h(1, n, A)$  return the value 5?

- A.  $n = 7, A = (20, 53, 10, 42, 31, 131, 42)$
- B.  $n = 10, A = (420, 75, 68, 86, 97, 975, 53, 64, 24, 57)$
- C.  $n = 10, A = (402, 75, 6, 86, 7, 9, 35, 46, 24, 57)$
- D.  $n = 10, A = (642, 97, 6, 64, 7, 9, 75, 4, 53, 31)$

18. Let us consider the algorithm  $f(a, x)$ , where  $x$  is a non-zero natural number ( $1 \leq x \leq 10^4$ ) and  $a$  is an array of 10 non-zero natural numbers ( $a[1], a[2], \dots, a[10]$ ).

```

Algorithm f(a, x):
  i ← 1, j ← 10
  k ← 1
  While a[k] ≠ x AND i < j execute
    k ← (i + j) DIV 2
    If a[k] < x then
      i ← k
    Else
      j ← k
    EndIf
  EndWhile
  If a[k] = x then
    Return True
  Else
    Return False
  EndIf
EndAlgorithm

```

For which of the following input values will the algorithm enter an infinite loop?

- A.  $a = [3, 3, 3, 3, 3, 3, 3, 3, 3, 3]$  and  $x > 3$
- B.  $a = [1, 2, 3, 4, 5, 6, 7, 8, 9, 10]$  and  $x < 10$
- C.  $a = [2, 4, 6, 8, 10, 12, 14, 16, 18, 20]$  and  $1 < x < 20, x - \text{odd number}$
- D.  $a = [2, 4, 6, 8, 10, 12, 14, 16, 18, 20]$  and  $1 < x < 20, x - \text{even number}$

19. Let us consider the algorithm  $f(a)$ , where  $a$  is a natural number ( $1 \leq a \leq 10^9$ ).

```

Algorithm f(a):
  x ← a MOD 10
  If x = a then
    If x MOD 2 = 0 then
      Return a
    Else
      Return 0
    EndIf
  EndIf
  If x MOD 2 = 0 then
    Return 10 * f(a DIV 10) + x
  EndIf
  Return f(a DIV 10)
EndAlgorithm

```

Which of the following statements are true?

- A. For  $a = 253401976$  the algorithm  $f(a)$  is called 8 times. The initial call is also counted.
- B. For  $a = 253401976$  the algorithm  $f(a)$  is called 9 times. The initial call is also counted.
- C. For  $a = 253401976$  the result returned by the algorithm is 2406.
- D. The result returned by the algorithm  $f(a)$  for the number  $a$  formed using only even digits equals  $a$ .

20. Let us consider the algorithm A(k), where parameter  $k$  is a non-zero natural number ( $1 \leq k \leq 10^9$ ).

```

Algorithm A(k):
  gr ← (-1 + radical(1 + 8 * k)) / 2
  If gr = [gr] then
    p ← gr
  Else
    p ← [gr] + 1
  EndIf
  Return p - (k - p * (p - 1) DIV 2 - 1)
EndAlgorithm

```

- Where  $[gr]$  is the integer part of  $gr$ .
- The algorithm radical(x) returns the square root of  $x$ .
- The / operator represents real number division, for example:  $7 / 2 = 3.5$

Which of the following statements are correct?

A. The algorithm A1(k) defined below is equivalent with algorithm A(k).

```

Algorithm A1(k):
  c ← 0
  i ← 1
  While c < k execute
    j ← 1
    While j ≤ i execute
      If c < k then
        c ← c + 1
        If c = k then
          Return j
        Else
          j ← j + 1
        EndIf
      Else
        Return j
      EndIf
    EndWhile
    i ← i + 1
  EndWhile
EndAlgorithm

```

B. The algorithm A2(k) defined below is equivalent with algorithm A(k).

```

Algorithm A2(k):
  c ← 0
  i ← 1
  While c < k execute
    j ← i
    While j ≥ 1 execute
      If c < k then
        c ← c + 1
        If c = k then
          Return j
        Else
          j ← j - 1
        EndIf
      Else
        Return j
      EndIf
    EndWhile
    i ← i + 1
  EndWhile
EndAlgorithm

```

- C. The algorithm A(k) returns the  $k$ -th element of the sequence formed from concatenating the arrays in the form of  $[1, 2, \dots, i]$ , for each  $i = 1, 2, \dots, k$ , in this order (that is  $[1, 1, 2, 1, 2, 3, 1, 2, 3, 4, \dots]$ ).
- D. The algorithm A(k) returns the  $k$ -th element of the sequence formed from concatenating the arrays in the form of  $[i, \dots, 2, 1]$ , for each  $i = 1, 2, \dots, k$ , in this order (that is  $[1, 2, 1, 3, 2, 1, 4, 3, 2, 1, \dots]$ )

21. Let us consider the algorithm ceFace(a, lung), where  $lung$  is a natural number ( $1 \leq lung \leq 10^5$ ), and  $a$  is an array of  $lung$  integers ( $a[1], a[2], \dots, a[lung]$ ). The array  $a$  contains at least one positive number.

```

Algorithm ceFace(a, lung):
  value1 ← 0
  value2 ← 0
  For i ← 1, lung execute
    value2 ← value2 + a[i]
    If value1 < value2 then
      value1 ← value2
    EndIf
    If value2 < 0 then
      value2 ← 0
    EndIf
  EndFor
  Return value1
EndAlgorithm

```

Knowing that a subarray of array  $x = [x[1], x[2], \dots, x[n]]$  is formed by elements of the array  $x$  that occupy consecutive positions (for example  $y = [x[3], x[4], x[5], x[6]]$ ) is a length 4 subarray of array  $x$ ), specify which of the following statements are true:

- A. If there is only one positive number in array  $a$ , the algorithm returns its value.
- B. The algorithm returns the length of one of the subarrays that have the maximum sum in array  $a$ .
- C. The algorithm returns the sum of one of the subarrays that have the maximum sum in array  $a$ .
- D. The algorithm returns the sum of the positive numbers that are on consecutive positions at the end of array  $a$ .

22. Let us consider the algorithm `ceFace(sir, a, b)`, where *sir* is an array of  $n$  ( $1 \leq n \leq 100$ ) non-zero distinct natural numbers in ascending order (*sir*[1], *sir*[2], ..., *sir*[ $n$ ]), *a* and *b* are natural numbers ( $1 \leq a, b \leq n$ ).

```

Algorithm ceFace(sir, a, b):
  If a > b then
    Return a
  EndIf
  c ← a + (b - a) DIV 2
  If sir[c] = c then
    Return ceFace(sir, c + 1, b)
  Else
    Return ceFace(sir, a, c - 1)
  EndIf
EndAlgorithm

```

Which of the following statements are true, considering the initial call `ceFace(sir, 1, n)`?

- A. If array *sir* is comprised of the first  $n$  distinct natural numbers, then the algorithm returns  $n + 1$ .
- B. The algorithm returns the greatest position  $p$  that is less than or equal to  $n \text{ DIV } 2$  for which  $\text{sir}[p] = p$  or  $1$ , if such a position does not exist ( $1 \leq p \leq n$ ).
- C. The algorithm returns the greatest position  $p$  that is less than or equal to  $n \text{ DIV } 2$  for which  $\text{sir}[p] \neq p$  or  $n + 1$ , if such a position does not exist ( $1 \leq p \leq n$ ).
- D. The algorithm returns the smallest non-zero natural number that does not appear in the array *sir*.

23. Let us consider the algorithm `ceFace(s, x, c, y, n, m, k)`, where *s* is an array of characters (*s*[1], *s*[2], ..., *s*[ $x$ ]) of length  $x$ , and *c* is an array of characters (*c*[1], *c*[2], ..., *c*[ $y$ ]) of length  $y$ . The identifiers  $x, y, n, m$  and  $k$  memorize non-zero natural numbers ( $1 \leq x, y, n, m, k \leq 100$ ).

```

1. Algorithm ceFace(s, x, c, y, n, m, k):
2.   If (n ≥ 0) AND (m ≥ 0) AND (n ≤ x) AND (m ≤ y) then
3.     If k MOD 2 = 0 then
4.       Write s[(n + k) MOD x + 1]
5.       ...
6.       ceFace(s, x, c, y, n - 1, m, k)
7.     EndIf
8.     If k MOD 2 = 1 then
9.       Write c[(m + k) MOD y + 1]
10.      ...
11.      ceFace(s, x, c, y, n, m - 1, k)
12.    EndIf
13.  EndIf
14. EndAlgorithm

```

By calling `ceFace("+-", 2, "123", 3, 2, 2, 4)`, we aim to obtain a valid arithmetic expression (that is an arithmetic expression created by alternating one operator with one operand; it can start with one of the operators '+' or '-' and must end with an operand). Which of the following statements are **NOT** true?

- A. Lines 5 and 10 can be filled in with the instruction  $k \leftarrow k + 7$ .
- B. Line 5 can be filled in with the instruction  $k \leftarrow k + 2$ , and line 10 with the instruction  $k \leftarrow k + 5$ .
- C. Lines 5 and 10 can be filled in with the instruction  $k \leftarrow k + 2$ .
- D. Line 5 can be filled in with the instruction  $k \leftarrow k + 7$ , and line 10 with the instruction  $k \leftarrow k - 1$ .

24. Let us consider the natural number  $n$  ( $1 \leq n \leq 50$ ) and the array *x* having  $n$  integer elements (*x*[1], *x*[2], ..., *x*[ $n$ ]). Which of the following statements are true, regardless of the value of  $n$  and the values of the array's elements?

- A. There exists a natural number  $k$  ( $1 \leq k \leq n$ ), so that  $x[1] + x[2] + \dots + x[k]$  is divisible by  $n$ .
- B. There exist  $(i, j)$ ,  $0 \leq i < j \leq n$ , so that the sum  $x[i + 1] + x[i + 2] + \dots + x[j]$  is divisible by  $n$ .
- C. Neither of statements A and B is true.
- D. Knowing that a subarray of array  $x = [x[1], x[2], \dots, x[n]]$  is comprised of elements of array *x* that occupy consecutive positions (for example,  $y = [x[3], x[4], x[5], x[6]]$  is a length 4 subarray of *x*), there exists a natural number  $k$ , ( $1 \leq k \leq n$ ), so that in the array *x* there exists a subarray of  $k$  elements ( $1 \leq k \leq n$ ) whose sum is divisible by  $n$ .



BABEŞ-BOLYAI UNIVERSITY

FACULTY OF MATHEMATICS AND COMPUTER SCIENCE

Mate-Info Contest – March 26<sup>th</sup>, 2023

Written Exam for Computer Science

GRADING AND SOLUTIONS

**DEFAULT:** 10 points

<b>1</b>	A	3.75 points
<b>2</b>	A	3.75 points
<b>3</b>	AD	3.75 points
<b>4</b>	ABC	3.75 points
<b>5</b>	ABC	3.75 points
<b>6</b>	C	3.75 points
<b>7</b>	AC	3.75 points
<b>8</b>	A	3.75 points
<b>9</b>	B	3.75 points
<b>10</b>	CD	3.75 points
<b>11</b>	BD	3.75 points
<b>12</b>	D	3.75 points
<b>13</b>	AB	3.75 points
<b>14</b>	AC	3.75 points
<b>15</b>	BD	3.75 points
<b>16</b>	AD	3.75 points
<b>17</b>	AC	3.75 points
<b>18</b>	AC	3.75 points
<b>19</b>	BCD	3.75 points
<b>20</b>	BD	3.75 points
<b>21</b>	AC	3.75 points
<b>22</b>	AD	3.75 points
<b>23</b>	BC	3.75 points
<b>24</b>	BD	3.75 points