

A comparative analysis of the convergence regions for different parallel affine projection algorithms

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This paper analysis the dimension and the shape of convergence regions of three algorithms used to solve the convex feasibility problem in bidimensional space: the *Parallel Projection Method (PPM)*, the classical *Extrapolated Method of Parallel Projections (EMOPP)* and a modified version of EMOPP.

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